



Use Cases for Evaluation of Machine-Based Situation Awareness

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Situation Awareness

- Situation awareness (SA) is the perception of environmental elements and events with respect to time or space, the comprehension of their meaning, and the projection into the future. (Endsley 1995).
- SA is important for successful decision making
- Decision making is necessary for humans, machines and collaborations among both.
- However, SA for humans differs from SA for machines.
- Evaluating SA will also differ.

Human vs Machine Decision Making

- Machine
 - More information
 - More complex models
 - More rapid response time
 - Multiple levels of decision making
 - Deterministic and explainable
 - Cost-benefit model is appropriate for evaluating SA
- Humans
 - More flexible in response to novel situations
 - Ultimately, humans must still play a role
 - Nondeterministic and not necessarily explainable
 - Level of accuracy is used for evaluating SA

Human Situation Awareness

- Endsley Model
 - Very useful model of human decision making
 - Emphasis on improving accuracy of SA
 - Lacks detailed process and data models
- Cognitive Architectures
 - Examples are ACT-R and Soar
 - Provide process and data models
 - Purpose is to refine theories of cognition
 - Limited concern with performance or efficiency

Machine-Based Situation Awareness

- KIDS Model
 - Detailed model of processes and data models
 - Emphasis on performance and efficiency
 - Not concerned with theories of cognition
- Combined Models
 - KIDS is compatible with the Endsley model
 - Useful for Human-Machine collaboration
 - The best model or combination of models depends on the use case

Evaluation Use Cases

- The most appropriate model for SA and its evaluation depend on the use case
- We present three examples of use cases:
 - No Trouble Found Use Case
 - The Bullwhip Effect Use Case
 - Cloud Services Use Case
- Each is described and an evaluation technique is developed.



No Trouble Found Use Case

No Trouble Found (NTF)

- Components can be returned to the supplier under contract provisions
 - Returned due to an alarm
 - But 25% to 70% function correctly!
- Estimated cost of this problem is \$2B/year
- An example of the loss of SA
 - The perception of the component status is incorrect
 - Results in an incorrect decision

Causes for NTF

- Primary causes of NTF
 - Transient/Intermittent Faults
 - Threshold Limits on Noisy Physical Variables
 - Sensor Degradation Events
 - Errors During Testing and Diagnosis
- Testing can help but
 - There is a cost for testing
 - Tests are not always definitive

Proposed Decision Making Process

- Goal is to maximize the net benefit of testing
- Tests are performed in the optimal order
 - The problem is to determine the optimal order
 - Assumes that tests are statistically independent
- The evaluation of the net benefit is presented on the next slides

Mathematical Model Part 1

- Tests T_1, T_2, \dots, T_n
- Costs $C_1 < C_2 < \dots < C_n$
- Probabilities of outcomes of a test T
 - $p = \text{Prob}(\text{Component is defective})$
 - $q = \text{Prob}(\text{Component is working properly})$
 - $r = \text{Prob}(\text{Unable to determine})$
 - $p + q + r = 1$
- Component value is V

Mathematical Model Part 2

- The net average benefit of T_i is $f(i) = q_i V - C_i$
- If the tests are performed in the order $\{i_1, i_2, \dots, i_n\}$
- Then the total net average benefit is:

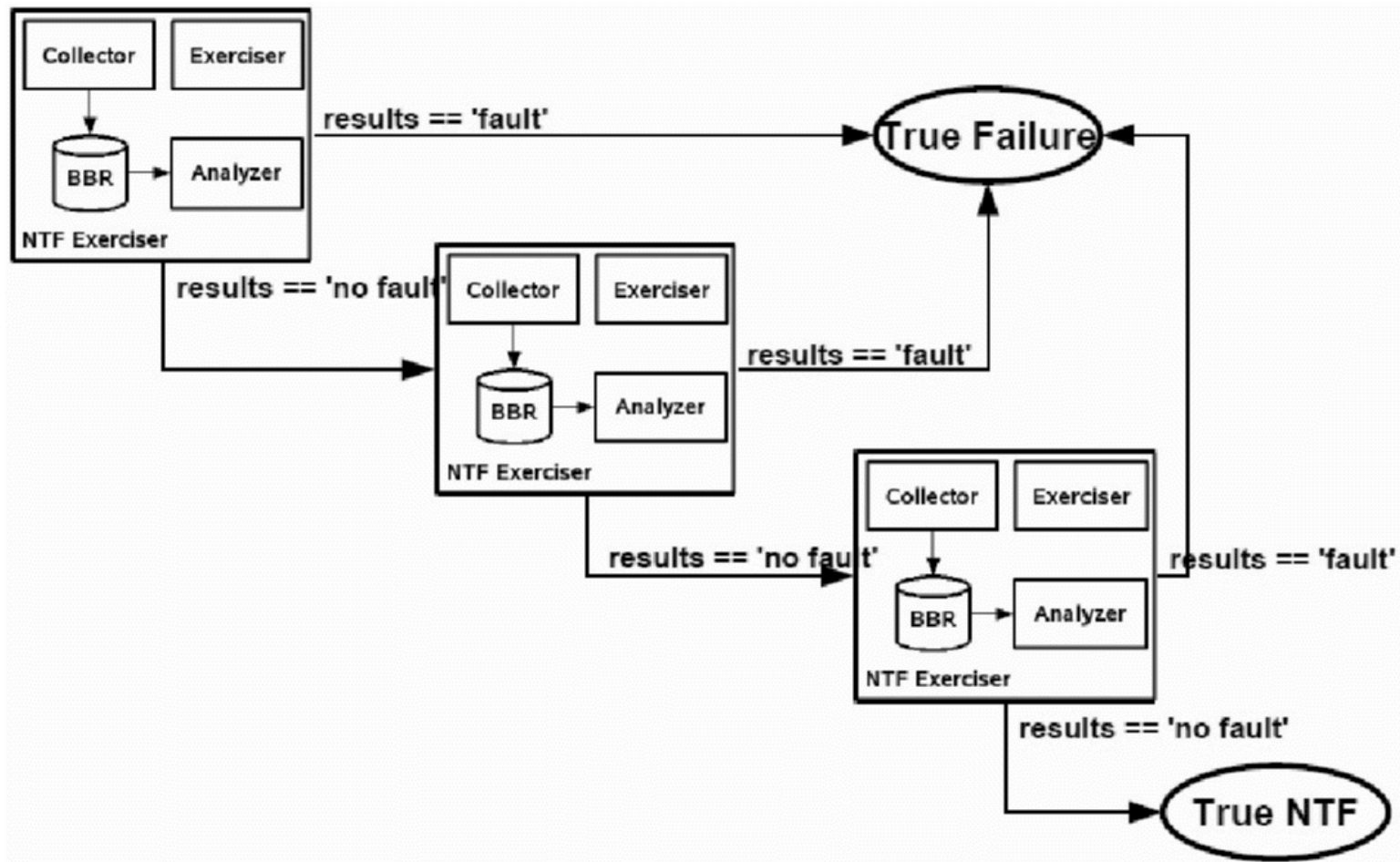
$$f(i_1, i_2, \dots, i_n) = \sum_{j=1}^n \left(\prod_{k=1}^{j-1} r_{i_k} \right) f(i_j)$$

- The optimum order is the one that maximizes the formula above.

Variations

- The same test can be repeated
 - Useful only if results are statistically independent
 - Complicates analysis but still feasible
- Statistical dependencies
 - Analysis is still possible but much more complicated
- Machine learning (ML)
 - Potential approach for improving SA

Example of Test Sequence with 3 Tests

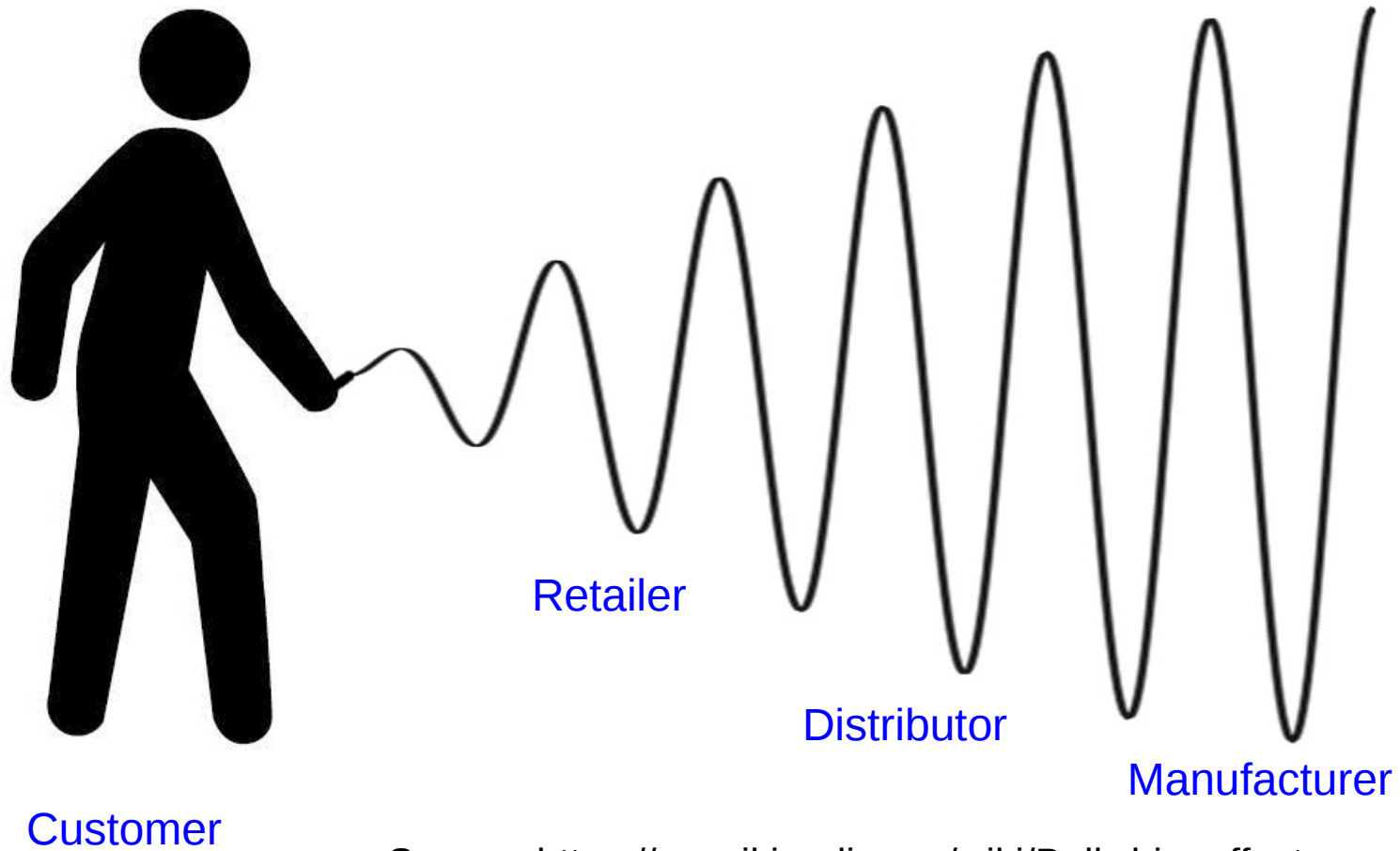




Bullwhip Effect Use Case

Bullwhip Effect

- Also called the Forrester Effect
- Business forecasts overcompensate in response to shifts in demand
 - Results in increasing swings in supply
 - Much more serious for multiple links in a supply chain
- Even when people have perfect information optimum performance is difficult to achieve
- Also commonly observed in software systems

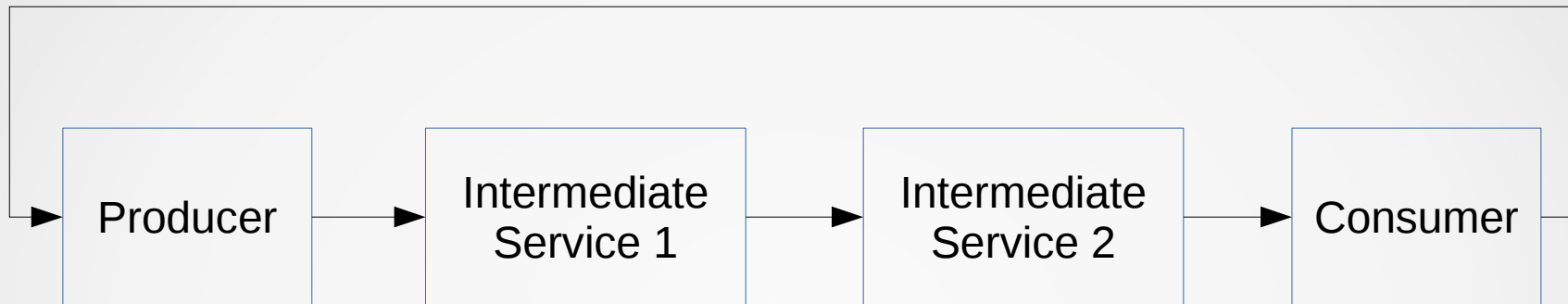


Source: https://en.wikipedia.org/wiki/Bullwhip_effect

Approaches

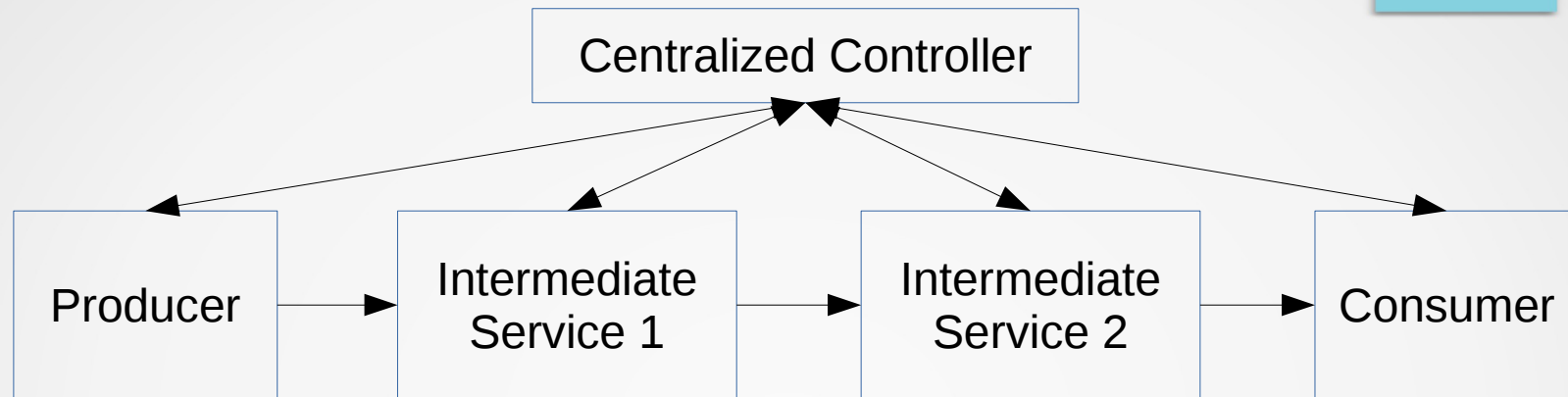
- Ignore the problem
- Centralized decision making
- Feedback control techniques
- Self-Controlling Software Model

Chain of Services



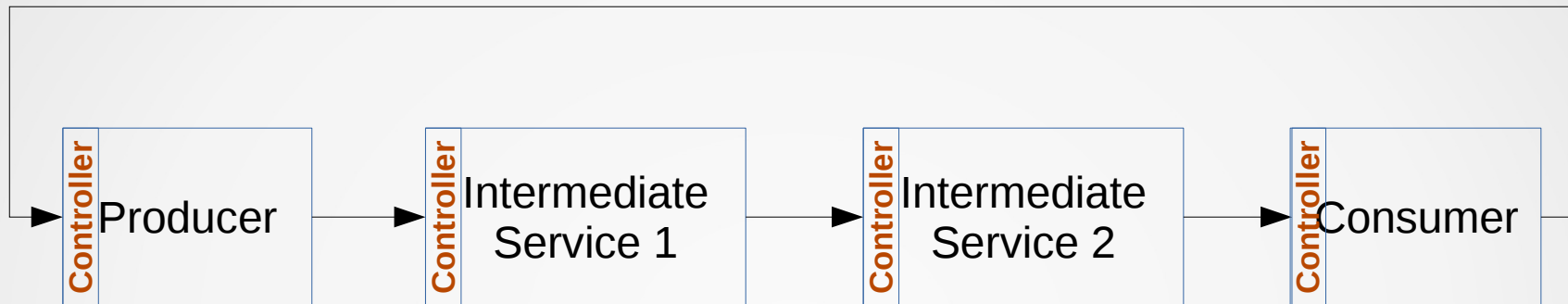
- Advantages
 - Easy to program
 - Autonomous components: modular, reusable, etc.
- Disadvantages
 - Prone to instability (e.g., bullwhip effects)
 - Far from optimal performance

Centralized Control of Chain of Services



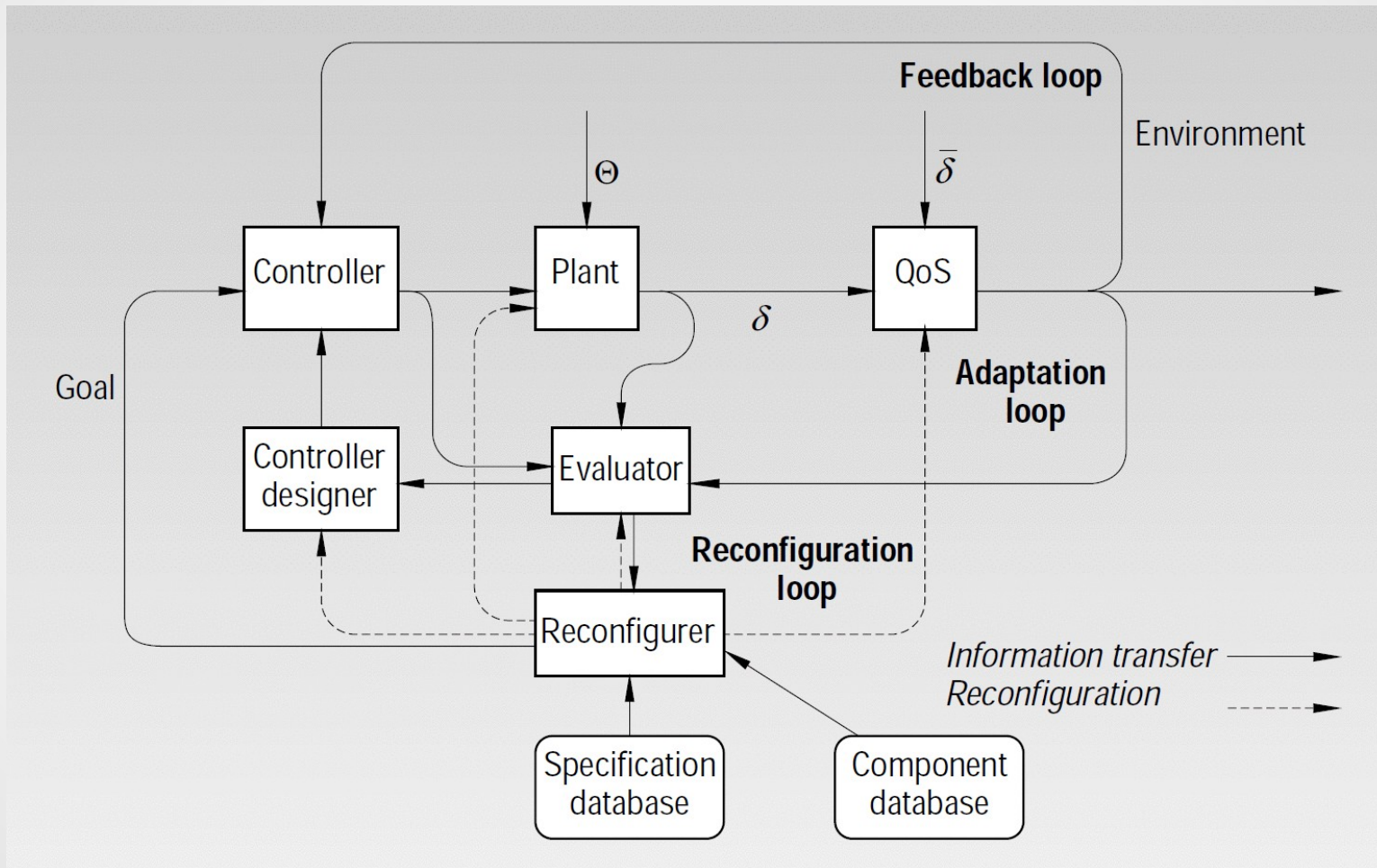
- Advantages
 - Can come close to eliminating instability
- Disadvantages
 - Substantial reprogramming is required
 - Loss of modularity, reuse, etc.
 - Instability may still occur due to communication delays

Controlled Chain of Services



- Advantages
 - Easy to program
 - Autonomous components: modular, reusable, etc.
 - Reduces likelihood of instability
- Disadvantages
 - Not optimal, but still good performance

Self-Controlling Software Model



Feedback Control Theory

- Time models
 - Discrete time: z-transform
 - Continuous time: Laplace transform
- A component is modeled using the transfer function in the transform space
- We have used discrete time and the z-transform in the paper, but Laplace transform techniques are similar.
- Feedback control theory is highly developed in Engineering
- Econometric models also use feedback control theory
- Computer science seldom uses feedback control theory

PI Controller

- Transfer function

$$\left(K_P + \frac{K_I z}{z-1}\right) \left(\frac{1}{z-1}\right)$$

- K_P is the coefficient of proportional control
- K_I is the coefficient of integral control
- Not used: K_D the coefficient of derivative control

Modeling a Service Component

- Software is complicated!
- However, performance can be bounded as in computational complexity theory
- Worst case analysis
 - Component transfer function is a constant G
 - Probability of exceeding the worst case bound can be determined empirically

Modeling Controlled Chain of Services

- Transfer function of the chain of services:

$$F(z) = \prod_{i=1}^n \left(K_P^{(i)} + \frac{K_I^{(i)} z}{z-1} \right) \left(\frac{1}{z-1} \right) G_i$$

- Transfer function of the closed loop:

$$H(z) = \frac{F(z)}{1 + F(z)} = \frac{R(z)}{(z-1)^{2n} + R(z)}$$

- where

$$R(z) = \prod_{i=1}^n \left((K_P^{(i)} + K_I^{(i)})z - K_P^{(i)} \right) G_i$$

Preventing Instability

- Closed loop stability criterion
 - Every pole of $H(z)$ is inside the unit circle
 - If ζ is a pole of $H(z)$, then $\text{norm}(\zeta) < 1$.
- The PI coefficients must be tuned to keep the poles away from the unit circle
 - Even being close to the unit circle is problematic
 - Stability generally requires throttling the services
- One can now perform a cost-benefit analysis
 - The cost is due to the throttling of the services
 - The benefit is increased probability of stability



Cloud Services Use Case

Cloud Services

- Increasingly popular service
 - Sharing resources reduces fluctuations
 - Resources are more fully utilized
- Cloud service providers
 - Must satisfy contractual service level agreements (SLA)
 - SLA failures entail financial penalties
- Bullwhip effects are commonly observed

Managing Cloud Services

- Cloud services manage many resources
 - Processor time
 - Memory
 - Network bandwidth
 - Storage
 - Database servers
 - Other servers
- Resource demands affect each other.

Controlling Cloud Services

- Feedback control theory for cloud services requires linear algebra (matrix) methods.
 - Multivariable feedback control
 - Coefficients of the controllers are now matrices
 - The transfer function $T(z)$ is a matrix function of z
- Analysis is more complicated
 - If a pole of the determinant $\det(T(z))$ is outside the unit circle then the system is unstable
 - Proving stability in general requires diagonalizing $T(z)$

Challenges and Opportunities

- Hierarchical organization of services
- Multiple timescales
- Legal issues
 - Cannot examine internals of client software
 - Requires estimation and modeling techniques
 - Scientific method is well suited to this problem
- Machine learning techniques could be used
- Empirical modeling techniques are also applicable
 - The SCSM includes this as part of the model



Conclusion

Lessons Learned

- NTF Lesson
 - The NTF analysis can be used for evaluating and optimizing SA when a sequence of tests is performed.
- Bullwhip Effect Lesson
 - Control theory techniques can be used to model and understand complex systems.
- Cloud Services Lessons
 - Complex systems require multivariable control theory.
 - Need automated empirical modeling techniques.